



Aalto University  
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# Selecting a portfolio of actions with incomplete and action-dependent scenario probabilities

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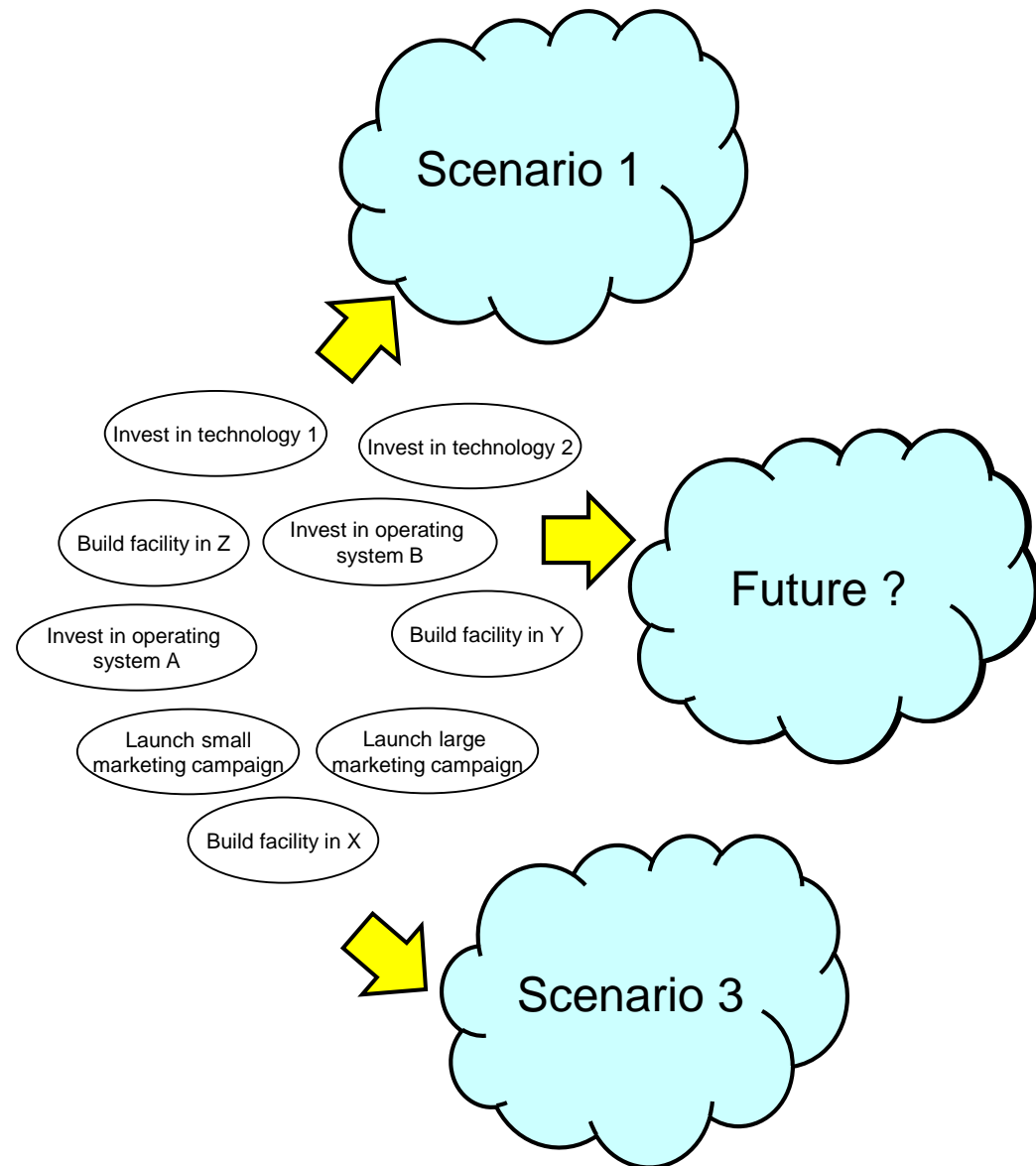
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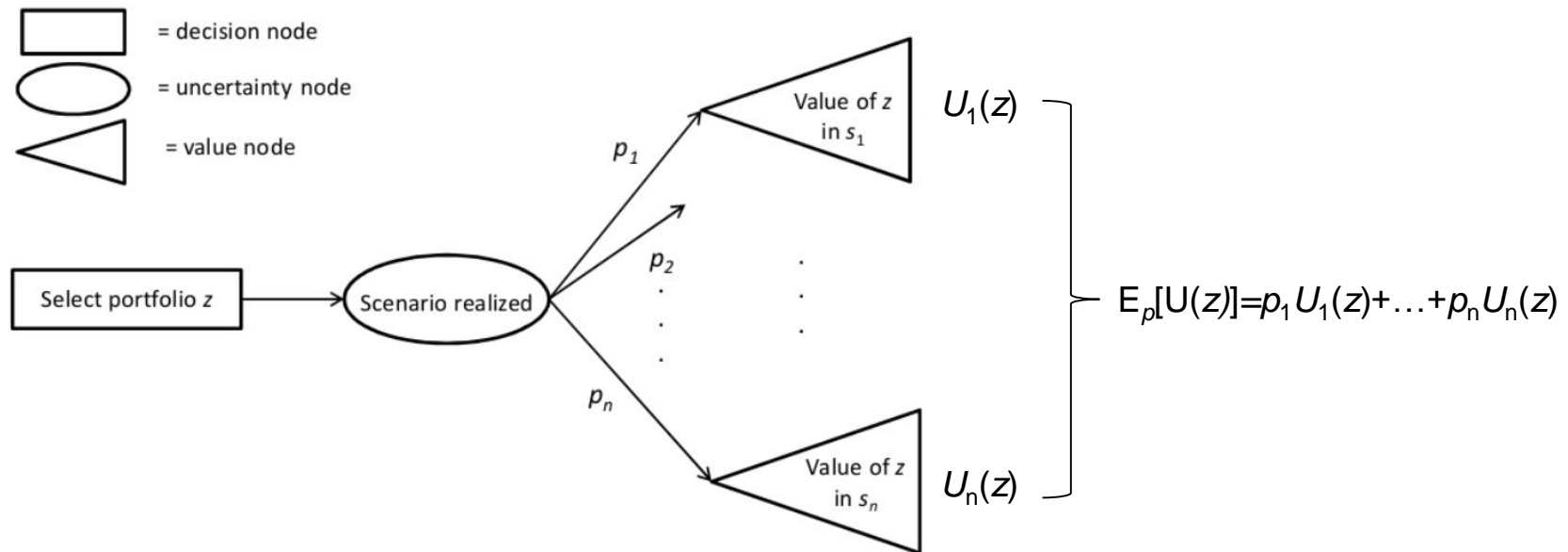
# Scenario planning

- The future operational environment of organizations is typically uncertain
  - Different environments call for different strategic actions
- Traditional strategic planning: focus on the most likely future
- Scenario planning: consider a set of plausible futures



# Scenario-based action portfolio selection

- Build scenarios  $s_1, \dots, s_n$  to characterize future environments
- Assign probabilities  $p_1, \dots, p_n$  to these scenarios
- Evaluate how available actions perform in these scenarios
- Select the action portfolio  $z$  which has the highest expected utility



# Scenario-based action portfolio selection

- It may be difficult to obtain precise estimates for scenario probabilities
  - Psychological biases, time constraints etc.
- Actions may affect the scenario probabilities
  - E.g., actions taken to reduce CO<sub>2</sub> emissions affect future climate conditions
  - Neglecting these effects may lead to suboptimal decisions

# Incomplete and action-dependent scenario probabilities

- Incomplete probability information
  - "Scenario 1 is more probable than scenario 2"
  - "The probability of scenario 3 is between 40% and 60%"
  - Statements define *a set of feasible probabilities*
- Action-dependent probability information
  - "If either action *A* or *B* is selected, then the probability of scenario 1 is higher than 50%"
  - "If both of actions *C* and *D* are selected, then the probability of scenario 2 is lower than 20%"
  - Statements define *different probability sets* for different portfolios

# Non-dominated portfolios

- Portfolio  $z$  dominates portfolio  $z'$ , if
  - $E_{\rho}[U(z)] \geq E_{\rho}[U(z')]$  for all feasible scenario probabilities  $\rho=[\rho_1, \dots, \rho_n]$
  - $E_{\rho}[U(z)] > E_{\rho}[U(z')]$  for some feasible scenario probabilities  $\rho$
- A rational DM selects a non-dominated (ND) portfolio
- Action-specific recommendations are based on core index (CI)

$$\text{CI of action } j = \frac{\# \text{ of ND portfolios that include } j}{\# \text{ of ND portfolios}}$$

- CI = 1: action included in all ND portfolios → select
- CI = 0: action not included in any ND portfolio → reject
- $0 < \text{CI} < 1$ : action included in some ND portfolios but not all

# Example: Selection of R&D portfolio at a high-tech company

- Four scenarios:

<b>Regulation</b>	Strong	<u>Scenario 1:</u> The company's technology shares the market with alternative low-cost technologies	<u>Scenario 2:</u> The company's new technology dominates the market
	Weak	<u>Scenario 3:</u> Both the company's technology and alternative ones 'tank' in the market	<u>Scenario 4:</u> Alternative low-cost technologies dominate the market
		Low	High
<b>Market demand</b>			

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Source: Raynor, M.E., X. Leroux. 2004. Strategic flexibility in R&D. *Research Technology Management*, Vol. 47, pp. 27–32.

# Example

- Eight available R&D projects (=actions)
    - Projects 1-4 maintain current businesses
    - Projects 5-8 develop new technologies
    - Portfolio must contain at least 25% of both types
    - Project 5 can only be selected if 8 is selected
  - Two campaigns (=actions)
    - *Lobbying campaign L* increases the probability of strong regulation
    - *Marketing campaign M* increases the probability of high market demand
  - Budget \$59M
  - Risk neutral decision-maker
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# Example – projects' values and costs

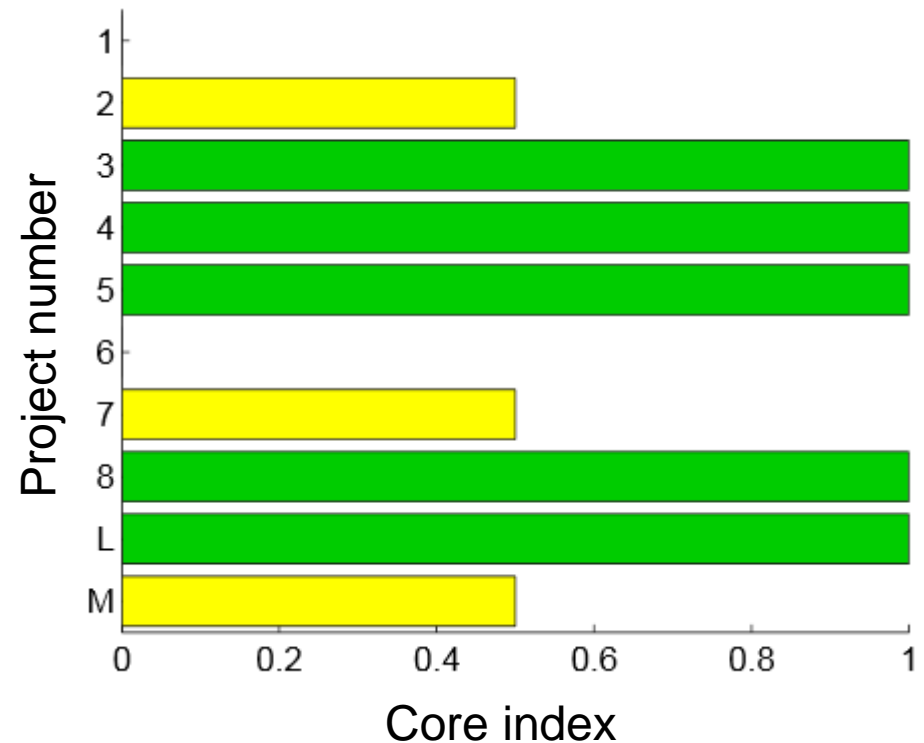
	Project	NPV (\$M)				Cost (\$M)	Average BCR
		s <sub>1</sub>	s <sub>2</sub>	s <sub>3</sub>	s <sub>4</sub>		
s <sub>1</sub> : Strong regulation, low market demand	1	11	52	2	7	15	1.20
	2	9	37	2	7	11	1.25
s <sub>2</sub> : Strong regulation, high market demand	3	12	52	3	6	9	2.03
	4	9	33	6	6	7	1.93
s <sub>3</sub> : Weak regulation, low market demand	5	10	46	4	7	8	2.09
	6	12	30	4	9	14	0.98
s <sub>4</sub> : Weak regulation, high market demand	7	10	47	3	8	14	1.21
	8	15	38	5	9	19	0.88
	L	0	0	0	0	2	0
	M	0	0	0	0	3	0
	Optimal portfolio value	58	221	22	38		

# Example – scenario probabilities

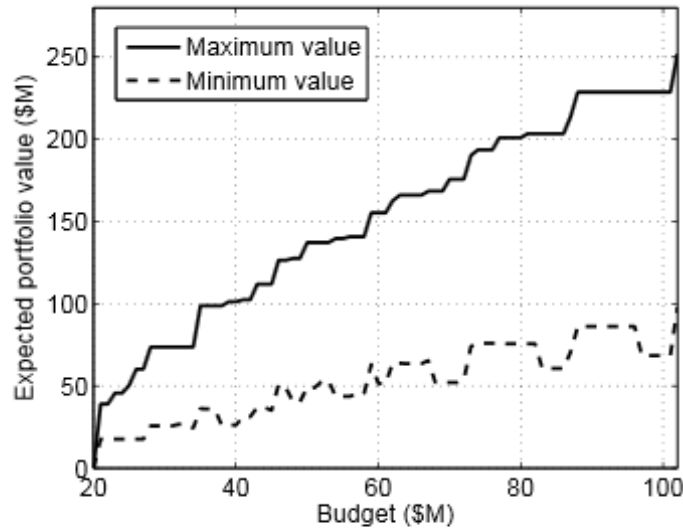
- Probability of strong regulation ( $s_1 \square s_2$ ) is
  - At least 70%, if the lobbying campaign is started
  - At most 50% otherwise
- Probability of high market demand ( $s_2 \square s_4$ ) is
  - At least 60%, if the marketing campaign is started
  - At most 50% otherwise
- Probability of each scenario  $\square$  10% regardless of which actions are selected

# Results

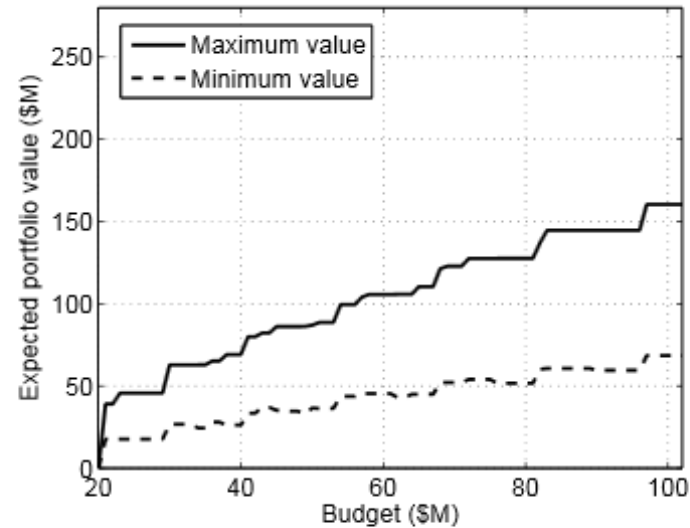
- 373 feasible portfolios
- Two non-dominated portfolios
  - {2,3,4,5,8,L,M}
  - {3,4,5,7,8,L}



# Results



(a) Probabilities depend on selected actions



(b) Probabilities do not depend on selected actions

- With \$59M budget, the use of action-dependent probability information helps increase
  - the worst-case expected portfolio value by 39%,
  - the best-case expected portfolio value by 47%.

# Conclusions

- Model to support the selection of a portfolio of actions when
  - Information about scenario probabilities is incomplete
  - Scenario probabilities may depend on selected actions
- The model helps select portfolios that are
  - *Resilient* in that they perform relatively well across scenarios
  - *Proactive* in that they promote the realization of favorable scenarios
- Decision recommendations can be obtained
  - With fairly loose constraints on scenario probabilities
  - For actions that yield value only indirectly by affecting scenario probabilities